| Number |  |  |
| :---: | :---: | :---: |
| Estimations and approximations | Round to one significant figure and estimate. Find the answers to the ones on the right. | $\begin{aligned} & 98 \times 51.2 \text { becomes } 100 \times 50 \\ & 4.6+104.7 \text { becomes } 5+100 \end{aligned}$ |
| Factors of a number | These are all the numbers that go into another without a remainder | $\begin{aligned} & \hline \text { Factors of 8: } \\ & 1,2,4,8 \\ & \hline \end{aligned}$ |
| Product of prime factors | Think factor tree! Keep dividing by the lowest possible prime number until you can't divide any longer. | $\begin{aligned} & 24=2 \times 2 \times 2 \times 3 \\ & 27=3 \times 3 \times 3 \\ & 42=2 \times 3 \times 7 \end{aligned}$ |
| HCF <br> (Highest Common Factor) | The largest number that goes into 2 different numbers. List the factors of the smaller number and see which is the largest one which will go into the 2nd number. | "Find the HCF of 8 and 28 " Factors of $8=1,2,4$ and 8 Factors of $28=1,2,4,7,14$ and 28 <br> Largest number in both $=4$ |
| LCM (Lowest Common Multiple) | The lowest number 2 different numbers will both go in to. Just list out the times tables of each and see which is the smallest number that appears in both lists. | LCM of 4 and 6 <br> $4 \mathrm{TT}=4,8,12,16,20,24,28$ <br> 6TTs $=6,12,18,24,30,36$ <br> first number they both go in $\text { to }=12=\mathrm{LCM}$ |
| Simplify Fractions | Can you cancel the fraction? Look for common factors. Can you divide the numerator and the denominator by 2,3,4 etc | $2 / 10=1 / 5$ as you can divide top and bottom by 2 . $7 / 21=1 / 3$ as both numerator and denominator divide by 7 |
| Finding a fraction of a quantity | Divide by the bottom, times by the top. If you need $3 / 8$ of a number, divide by 8 and then multiply by 3 . | $\begin{aligned} & 2 / 5 \text { of } £ 60 \\ & £ 60 \div 5=£ 12 \\ & 2 \times 12=£ 24 \\ & \hline \end{aligned}$ |
| Ordering fractions | Get a common denominator and find equivalent fractions. At this point see which has the largest numerator when you list them out. 9 times out of 10 the denominator you want is in the question! | $1 / 2,2 / 3,5 / 6$ and $7 / 12$ All of these can be made into $12^{\text {th }}$ s. $6 / 12,8 / 12,10 / 12$ and $7 / 12$. Now just put them in order of size. Make sure you answer using the original values. |
| Adding Fractions | The denominators must be the same. When they are just add the numerators. You can use equivalent fractions to find the common denominator. | $\begin{aligned} & 1 / 3+1 / 4=4 / 12+3 / 12= \\ & 7 / 12 \\ & 1 / 5+2 / 3=3 / 15+10 / 15 \\ & =13 / 15 \end{aligned}$ |
| Subtracting Fractions | The denominators must be the same (as with addition). When it is just subtract the numerators. | $\begin{aligned} & 4 / 7-1 / 2=8 / 14-7 / 14=1 / 14 \\ & 1 / 3-1 / 5=5 / 15-3 / 15= \\ & 2 / 15 \end{aligned}$ |
| Multiplying Fractions | Multiply the numerators multiply the denominators and simplify if possible. Top times top, bottom times bottom. | $\begin{aligned} & 2 / 7 \times 3 / 5=6 / 35 \\ & 4 / 5 \times 3 / 4=12 / 20 \text { or } 3 / 5 \end{aligned}$ |
| Dividing fractions | TNT, turn and times. Turn the second fraction upside-down and multiply as shown in the method above for multiplying. | $1 / 4 \div 3 / 5$ is the same as $1 / 4$ $\times 5 / 3$ <br> Now just use the method above and simplify. |
| Writing a number as a \% of another | Non calculator: make the fraction out of $100 . \%$ means out of 100 | $\begin{aligned} & 12 / 20=60 / 100=60 \% \\ & \text { (Multiply both by } 5 \text { ) } \\ & \hline \end{aligned}$ |
| Finding $10 \%, 5 \%, 1 \%$ of a quantity | To find $10 \%$ just divide the original number by 10 , to find $1 \%$ divide it by 10 again. $5 \%$ is half of $10 \%$ | $\begin{aligned} & £ 36 \\ & 10 \%=£ 3.605 \%=£ 1.80 \\ & \text { and } 1 \%=£ 0.36 \text { or } 36 \mathrm{p} \end{aligned}$ |
| Increase/decrease a number by a \% | Find the \% required and add it on (increase) or take it off (decrease) | $\begin{aligned} & \text { Increase } £ 30 \text { by } 10 \% \\ & 10 \%=£ 3 \text { so } 30+3=£ 33 \end{aligned}$ |
| Fractions to decimals | Some are obvious such as $3 / 4$ is 0.75 <br> For those that are not simply divide the numerator by the denominator. | $\begin{aligned} & \text { Some others to note: } \\ & 1 / 8=0.125 \\ & 3 / 10=0.3 \\ & 7 / 100=0.07 \\ & 43 / 100=0.43 \\ & \hline \end{aligned}$ |
| Decimals to fractions | Some are obvious 0.1 $=1 / 10$ If not obvious write it over 10, 100 or 1000 and simplify. | $\begin{aligned} & 0.7=7 / 10 \\ & 0.23=23 / 100 \\ & 0.46=46 / 100 \text { or } 23 / 50 \\ & \hline \end{aligned}$ |
| Percent to decimals | Simply divide by 100 and vice versa when converting decimals to percents. | $\begin{aligned} & 0.23 \times 100=23 \% \\ & 47 \% \div 100-0.47 \end{aligned}$ |
| Fractions to percentages | Percentage is just a fraction out of 100 | $\begin{aligned} & 2 / 25 \text { multiply by } 4=8 / 100 \text { or } \\ & 8 \% \end{aligned}$ |
| Multiplying decimals | Count the total digits after the decimal place. Get rid of the decimals and multiply the two numbers. However many digits you started with after the decimals is the number you finish with. | $0.4 \times 0.2$ ( 2 digits after the decimals in total) <br> $4 \times 2=8$ so my answer is 0.08 as I need to finish with 2 digits after the decimals. $0.3 \times 0.15=0.045$ |
| Ratio | Simplify them like fractions | A ratio of $5: 10$ is $=1: 2$ |
| Ratio Sharing | Add the total parts. A ratio of 4:2:1 has 7 parts (not 3) Divide the amount to be shared Multiply by each part (making sure you use the correct units (£s here)) | $\begin{aligned} & £ 60 \text { in a 3:2:1 ratio } \\ & 6 \text { total parts so } £ 60 \text { divided } \\ & \text { by } 6=£ 10 \text {. Each part is } \\ & \text { worth } £ 10 \\ & 3 \times £ 10=£ 30 \\ & 2 \times £ 10=£ 20 \\ & \hline \end{aligned}$ |

> 1 X £10 $=£ 10$
cakes need 450 g o
sugar. sugar. Find how much sugar 5 cakes needs. $450 \div$
$3=150 \mathrm{~g}$ per cake. Now $3=150 \mathrm{~g}$ per cake. Now
multiply this by 5 to give multiply this by 5 to give
750 g needed for 5 cakes. $£ 1.20$ for 300 ml of cola Or $£ 1.50$ for 400 ml of cola?
$120 / 300=0.4$ $120 / 300=0.4$
$150 / 400=0.375$ $150 / 400=0.375$
The $2^{\text {nd }}$ one is better value

| Topic/Skill | Tips |
| :--- | :--- |
| Simplifying | Just |

Igebra

| Topic/Skill | Tips |
| :--- | :--- |
| Simplifying | Just collect the 'like terms' such as all <br> expressions |
| the $x^{\prime}$ s, all the $y$ 's and any numbers. |  |
| $x$ times $x$ | The answer is $x^{2}$ and not $2 x$ | | $x$ times $x$ | The answer is $x^{2}$ and not $2 x$ |
| :--- | :--- |
| $p+p+p$ | This $3 p$ not $p^{3}$ |


\section*{| $\frac{p+p+p}{m \times m \times m}$ |
| :--- |
| Powers |}


| $\frac{\mathrm{m} \times \mathrm{m} \times \mathrm{m}}{\text { Powers }}$ |
| :---: |
| Solving equations |

When multiplying numbers with powers
you just add the pown
you you just add the powers. When divers
you subtract to you subtract to powers. Careful with ' p '
when here is no power (the power is 1 ) When there is an unknown on one side simply undo the equation be using the inverse operations. If one side has +2 you need to subtract it. Id it had -3 add
it.
b

$$
\begin{array}{|l|l|}
\hline \text { Equations } \\
\hline \text { Equations }
\end{array}
$$

$$
\mathrm{x} / 2=4 \text { etc just multiply } 4 \text { by } 2 \text { so } \mathrm{x}=8
$$

$$
\begin{array}{l|l}
\text { Gquations } & \text { Get the ex's on one side and the } \\
\text { numbers on the other. Use either the } \\
\text { with an } & \text { nut }
\end{array}
$$

$$
\begin{array}{l|l}
\hline \text { sides } & \\
\hline \text { Factoring } & \begin{array}{l}
\text { HCF of letters and numbers outside, } \\
\text { tho roct incido }
\end{array} \\
\hline
\end{array}
$$

$$
\begin{aligned}
& \text { the rest inside. Expand to check if its } \\
& \text { right when you finish. }
\end{aligned}
$$

$$
\begin{aligned}
& \text { right when you finish. } \\
& \hline \text { Single brackets - multiply everything }
\end{aligned}
$$

$$
\begin{aligned}
& \text { ongle backes - mutiply everyming } \\
& \text { on the outside by the inside - careful }
\end{aligned}
$$

with negative signs!

| Expanding double brackets (not in all foundation GCSEs) |
| :---: |
| Inequalities |


| ( $x+3$ |
| :--- |
| Multix |
| using |
| First |
| (Be |
|  |
| 2 |
| $x$ |
| $x$ |
| $x$ |
| $4 \leq$ |
| 4 |


|  |
| :--- |
| nth term <br> formula of a <br> sequence |

## Look out for (i) A common difference (is

 it going up or down by 2 or 3 eachtime? ( (ii) Square numbers $1,4,9,16,25 \ldots$ (iii) 1,8,27,64...
Find the difference. Multiply that by n
and see what you need to add to and see what you need to add to find $t$ time. $4 \times 1=4$ so we need to subtract 1 to get 3 . the nth term is $4 \mathrm{n}-1$

| Formulae | If you get a formula solve it like an equation. Just put the information into the formula to find the missing value. The example to the right could have $\mathrm{x}=$ 4 so $C=3(4)+5$ which is $£ 17$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Substituting <br> into a <br> formulae | Just follow the rules and put the numbers in. Be careful on the order if $x$ $=3$ and you need $2 x^{2}$ square 3 first and then multiply by 2 |  |  |  |
| Plotting straight line | Just fill out the table using substitution as above $y=2 x+1$ |  |  |  |
| graphs | 0 | 1 | 2 | 3 |
|  | y |  |  |  |
|  | Complete the table in the exam with the information from the box on the right. |  |  |  |

Example $2 x+3 y-3-y+2 x+9$
becomes $4 x+2 y+6$
$\square$
$p^{5} \times p^{3}=p^{8}$
$p^{7} \div p^{4}=p^{3}$

## $3 x-2=13($ add 2 to 13 $3 x=15$ (divide by 3 )

X $=5$
OR
OR
$4 \mathrm{x}+3=19$ (minus 3 from 19)
$4 \mathrm{x}=16$ (divide by 4$)$ $\mathrm{p} / 5=6$ then $\mathrm{p}=5 \times 6$ so $\mathrm{p}=30$
$2 \mathrm{l}-1=\mathrm{l}$
$2 x-1=x+4$
take an x off both sides
ake an $x$ off both sides
$x-1=4$
$x-1=4$
add 1 to
$x_{x=5}^{x-1} 1$ to both sides
$x=5$
$6 x-3$ becomes $3(2 x-1)$
$15 x+10$ becomes $5(x+2)$ $15 x+6 x$ becomes $5(x+2)$
$4 x^{2}-6$ becomes $2 x(2 x-3)$ $5(3 x+2)$
$15 x+10$
$5 \mathrm{l} \times \mathrm{x}+10$
OR
$2 \times(3 x-4)$
$2 x$
$6 x^{2}-8 x$
$(x+2)(x+3)$
$(x+2)(x+3)$
$x$ times $x=x^{2}$
2 times $x$ is $2 x, 3$ times $x$ is $3 x$ and finally 2 times $3=6$ Now simplify by collecting up:
$x^{2}+5 x+6$ You may have to show these on a number line. If so use an open dot ofor < and a closed dot $\bullet$ for $\leq$
Rules such as "Add 2 each
time" or "Square time" o " "Square numbers"
If asked for the 'nth term sequence' use the method below.
$3,7,11,15$

| , 7 |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :---: | :---: |
| n | 1 | 2 | 3 | 4 |  |  |
| t | 3 | 7 | 11 | 15 |  |  |

"bob charges $£ 3$ per window and a $£ 5$ call out charge" $\mathrm{C}=3 \mathrm{x}+5$ with x being the
number of windows cleaned and $C$ being the cost.
$a=3, b=2$ and $c=5$
$\mathrm{a}=3, \mathrm{~b}$
Find:
(i)2a wh
(i) 2 a which is just $2(3)=6$
(ii) $3 \mathrm{a}-2 \mathrm{~b}$ so $3(3)-2(2)=5$ (ii) $3 \mathrm{a}-2 \mathrm{~b}$ so $3(3)-2(2)=5$
(iii) $\mathrm{b}^{2}-5$ which is $(2)^{2}-5=-1$ When $x=0 y=2(0)+1=1$ When $x=1 y=2(1)+1=3$
When $x=2 y=2(2)+1=5$ When $x=2 y=2(2)+1=5$
When $x=3 y=2(3)+1=7$ When $x=3 y=2(3)+1=7$
Now just plot $(0,1)(1,3)(2,5)$ and ( 3,7 ) and draw a straight line through the points.

| $\begin{array}{l}\text { Midpoint of } \\ \text { a line }\end{array}$ | $\begin{array}{l}\text { Add the } \mathrm{x} \text { coordinates and divide by } 2, \\ \text { add the y coordinates and divide by } 2\end{array}$ |
| :--- | :--- |


|  | Statistics/Handling Data |  |  |
| :--- | :--- | :---: | :---: |
| Topic/Skill | Tips |  |  |
| Tally Chart | Use them to count up items in a data |  |  |
|  |  |  |  |

Find the midpoint of a line through 1,2 and 5,8
$(1+5) / 2,(2+8) / 2=3,5$

| Topic/Skill | Tips | Example |
| :---: | :---: | :---: |
| Tally Chart | Use them to count up items in a data set before putting into a frequency table |  |
| Mean (simple average) | Add the values up, divide by how many values there are. Find the mean of $3,4,7,6,4,6$ | $\frac{3+4+7+6+4+6}{6}=5$ |
| Median | Middle number. Put them in order and find the middle one. If there are two find half way between the two numbers. | $\begin{aligned} & \text { 4,5,2,3,6,7,6 } \\ & \text { in order },, 3,4,5,6,6,7 \\ & \text { Median }=5 \end{aligned}$ |
| Mode or Modal | The number that appear most times in a list (there can be more than one mode) | $\begin{aligned} & \text { 4,5,2,3,6,4,7,8,4,5 } \\ & \text { Mode }=4 \end{aligned}$ |
| Range | Highest take lowest. Find the smallest value and subtract it from the largest. | 3,15,26,37,97 range = 94 |
| Pie Charts | A pie chart is a circle which means there are $360^{\circ}$. Look out for right angles as they show $1 / 4$ of the data. | If there are 40 people in a survey then each person will be worth $9^{\circ}$ of the pie chart as 360/40 $=9$ |
| Simple Probability (Theoretical) | The number of things you want to happen divided by the number of things that could happen. 1 Head on a coin, two sides so the probability of head $=1 / 2$ | Probability of rolling a 4 on a fair 6 sided die is $1 / 6$ There is one 4 and 6 different things it can be |
| Relative frequency | Just multiply the probability by the number of trials. It's often called experimental probability. | The probability a football team wins a game is $1 / 5$. How many games will they win out of 40 ? $1 / 5 \times 40=8$ |
| Scatter Graphs or diagrams | These show two sets of data plotted against each other. Maths test score and Science test score might be an example |  |

Positive: Ice Cream sales and temperature
Negative: Hot Chocolate sales and temperature
No: Favourite football tean and hair colour.
$0 \mid 9$
$1 \mid 2,3$
$2 \mid 3,7$
$3 / 4$
14
$3 / 4$
Key $1 \mid 8=18$
Key $1 / 8=18$
( 3 appears twice!)

|  | Blue | Brown |
| :---: | :---: | :---: |
| Boys |  |  |
| Girls |  |  |
| Feature and non no overl | (i) Inclu <br> (ii) Tim ping a | e other frame (iii) wers (iv) |

and none (iI) Time frame (iii)
no overlapping answers (iv)
not subjective

Shape, Space and Measures - Check in the front of the exam for formulae!

| Topic/Skill | Tips | Example |
| :---: | :---: | :---: |
| Area of rectangle | Multiply the two side lengths. Answer should be $\mathrm{cm}^{2}, \mathrm{~m}^{2}$ etc etc | Area is the space trapped inside a shape |
| Perimeter (rectangle) | Add ALL side lengths and the answer should be $\mathrm{cm}, \mathrm{m}, \mathrm{km}$ etc and $\mathrm{NOT} \mathrm{cm}^{2}$ | "walk around the outside of the shape" |
| Area of a triangle | Multiply the base by the height and half your answer. Answer in $\mathrm{cm}^{2}, \mathrm{~m}^{2}$ etc etc |  |
| Circles | Area $=\pi r^{2}$ (answers in $\mathrm{cm}^{2}$ etc) Circumference $=2 \pi r$ ( $\mathrm{cm}, \mathrm{mm}$ etc) | Area $=$ space inside Circumference $=$ distance around the outside. $r=$ radius Note: $r^{2}$ is just $r \times r$ |
| Volume of a cuboid | Length x width x height. Your answer will be $\mathrm{cm}^{3}, \mathrm{~m}^{3}, \mathrm{~km}^{3}$ etc...anything 'cubed' <br> In this example it would be $2 \times 3 \times 5=30 \mathrm{~cm}^{3}$ <br> Volume is always 'cubed' |  |


| Surface area of a cuboid | Find the area of each panel and add them. Drawing a net may help OR you can see there will be 3 different size panels. Find the area of each one and add two lots of each together. <br> Area is always 'squared' |  |
| :---: | :---: | :---: |
| Volume of a cylinder | Find the area of the circle on the end and multiply it by the height of the cylinder. Answer will be in something cubed such as $\mathrm{cm}^{3}$ |  |
| Sketching the net of a cuboid | Just think what the box would look like if you unfolded it - don't forget the lid. Your dimensions should be accurate. This should only ever be a 2D drawing. |  |
| Solids | Faces $=$ think faces of dice, edges $=$ side lengths \& vertices = corners | A Cube has 6 faces, 8 vertices and 12 edges |
| Angles in a polygons | Angles in triangles $=180^{\circ}$ angles in quadrilaterals $=360^{\circ}$ | Quadrilateral is a 4 sided shape (square rectangle etc) |
| Angle facts | On a straight line $=180^{\circ}$ and angles around a point $=360^{\circ}$ |  |
| Angle Types | Acute, less than $90^{\circ}$, Obtuse, $90^{\circ}$ to $180^{\circ}$ \& Reflex angles greater than $180^{\circ}$ |  |
| Plans and Elevation | Plan View is from the top (birds eye view) <br> Side and Front elevations will be stated. All drawings must be 2D and not 3D. Shown to the right is the 3d drawing with an arrow pointing to the front elevation. The top right is the side elevation. The middle is the plan view and the bottom is the front view. Use a ruler and pencil and make sure you use the correct measurements. |  |
| Types of triangles | Right Angle Triangles have a $90^{\circ}$ angle. Isosceles triangles have 2 equal sides and 2 equal base angle Equilateral triangles have 3 equal sides and 3 equal angles ( $60^{\circ}$ each). |  |
| Exterior angles of a regular polygon | For regular polygons divide 360 by the number of sides. <br> The picture shows a regular hexagon which has 6 sides. $360 / 6=60$ which means the exterior angle is $60^{\circ}$ |  |
| Interior angles of regular a polygon | Find the exterior, draw a straight line and subtract the exterior angle from $180^{\circ}$. For the sum just add the interior angles. Pictured to the right is a regular Hexagon. Each interior angle is $120^{\circ}$ (we know the exterior angle is $60^{\circ}$ from above) |  |
| Opposite angles | Opposite angles are equal. $\mathrm{x}=\mathrm{x}$ Remember also that angles on a straight line $=180^{\circ}$ | $\pm$ |
| Alternate angles | Alternate angles or $Z$ angles are equal. (You must use alternate angles in the exam!) |  |
| Correspon <br> ding <br> Angles | Corresponding angles or F angles are also the same $y=y$ and $z=z$ ( $y$ and $z$ are not equal though). (You must use corresponding angles in the exam!) |  |
| $\begin{aligned} & \text { Co-interior } \\ & \text { Angles } \end{aligned}$ | Co-interior angles of C angles $=180^{\circ}$ $y+z=180^{\circ}$ (You must use co-interior angles in the exam!) |  |
| Bearings | 3 rules = (i) Measure from North (ii) Measure clockwise (iii) Your answer must have 3 digits When finding the bearing of $B$ from $A$ | Angle of $45^{\circ}=$ bearing of $045^{\circ}$ |


|  | we measure from A. Draw your north line at $A$. Draw a line from $A$ to $B$ and measure clockwise from $A$ to $B$. |  |
| :---: | :---: | :---: |
| Translating a shape | Translate means to move the shape. Top number left/right, right $=+$ \& left $=$ Bottom number up/down, up $=+$ down = - <br> Check the scale of the axis on the exam paper! | $\binom{2}{3}\binom{-5}{-3}\binom{1}{-4}\binom{-6}{2}$ <br> You may be asked to state fully a transformation. So in these cases " A translation by $(2,3)$ is fine for example |
| Rotations of shapes | State (i) Direction (ii) Angle and (iii) centre of rotations. | Clockwise, $45^{\circ}$ about ( 0,1 ) USE THE TRACING PAPER! |
| Reflections | Learn the lines $x=1 y=3$ and so on. Use a mirror if you are unsure | Describe the transformation fully i.e. "reflected in line $x=2$ " |
| $\begin{aligned} & \hline \text { Enlargeme } \\ & \text { nts of } \\ & \text { shapes } \\ & \hline \end{aligned}$ | You will be given a scale factor and centre. | Just make the side lengths twice as big if the scale factor is 2 for example. |
| $\begin{aligned} & \text { Line } \\ & \text { Symmetry } \end{aligned}$ | How many mirror lines can you draw on the shape? <br> A Regular Hexagon for example has 6 lines of symmetry. Be careful with patterns within shapes! |  |
| Rotational Symmetry | How many times does the shape fit back on itself when you turn it $360^{\circ}$ ? Be careful with patterns as they will influence the order of symmetry. (See the last example). Use tracing paper if you need! |  |
| Bisecting an angle and loci. | Use a compass and keep it set in one position throughout the bisection. Bisecting an angle is shown to the right. You MUST leave your construction lines. Bisect means 'cut in half' Loci are the set of fixed points and will often include drawing a circle. |  |
| Metric units | Mm, cm,meters and km = length Grams, kg and tonnes = mass/weight $\mathrm{ml}, \mathrm{cl}$ and litres = volume | Mans height around 1.8-2m Adults weight 70kg Glass of coke is about 250 ml |
| Imperial units | Feet and inches = length/height Lbs and ounces = mass/weight Pints and fluid ounces = volume | Mans height around 6 ft Adults weight is around 200lb Glass of coke is a half pint |
| Speed distance time | Speed = distance $\div$ time (divided) <br> Distance $=$ speed x time <br> Time $=$ distance $\div$ speed (divided) USE THE CORRECT UNITS | S |
| Reading scales | Check the units and check the amount the scale is increasing by each time. | Speed dials, weighing scales and thermometers etc |
| Pythagoras <br> Theorem <br> for Right <br> Angle <br> Triangles | $\mathrm{a}^{2}+\mathrm{b}^{2}=\mathrm{c}^{2}$ <br> a and b are the 2 shorter sides and c is the hypotenuse (longest side) Square the 2 shorter sides, add them and square root the answer. Check the question wants the hypotenuse! | $\begin{gathered} \text { Find the length of ' } \mathrm{c}^{\prime} \\ 4 \mathrm{~cm} \\ \mathbf{a}=4, \mathrm{~b}=3 \mathrm{c}=? \\ \mathrm{a}^{2} \mathrm{~b}^{2}=\mathrm{c}^{2} \\ 4^{2}+3^{2}=\mathrm{c}^{2} \\ 16+9=\mathrm{c}^{2} \\ 25=\mathrm{c}^{2} \\ 5 \mathrm{~cm}=\mathrm{cm} \\ \hline \end{gathered}$ |

Support networks
Email: steve@m4ths.com
Websites: www.m4ths.com \& www.youtube.com/user/maths247 Tips
(1) You must show workings. It's possible to fail the paper and get everything right if you only write answers. Show all workings. (2) Check how many marks the question is worth. If it's a 1 mark question, simply write an answer and move on.
(3) State the units. $\mathrm{cm}, \mathrm{m}^{2}, £$ and so on unless it's written for you. (4) Check your answer is sensible. $169 \times 11$ could never be 532 for example.
(5) Learn how to use a calculator. The Casio is the easiest to use.


## www.m4ths.com

Please note: This help sheets lacks mathematical rigour in favour of accessibility and should not be used as a base of knowledge

|  |  |  | Number |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Tips |  |  | Example |
| Non Calculator Multiplication | Use the grid method to find $231 \times 49$. Multiply each number in the left column by each number on the top row and fill out the boxes. |  |  |  |
|  | $x$ | 200 | 30 |  |
|  | 40 | 8000 | 1200 | 40 |
|  | Now add the 6 numbers ( $8000,1800,1200,270,40$ and 9 ) using column addition. |  |  |  |
| Non Calculator Division | The 4 goes on the outside and 25 on the inside. <br> Ask yourself "How many times does <br> 4 go into 2? The answer |  |  | $4 \longdiv { 0 6 . 2 5 }$ |
| Place Value | Remember the HTU chart? Hundreds, tens and units.. |  |  | State the value of 4 in the number 34210 4 is in the thousands column so the value is 4000. |
| A square number | A number multiplied by itself - NOT 2 times a number. 1,4,9,16,25,36.... |  |  | $\begin{aligned} & 3^{2}=3 \times 3=9 \text { (and NOT 6) } \\ & 5^{2}=5 \times 5=25(\text { NOT 10 }) \end{aligned}$ |
| Square root | This is the reverse of squaring a number. |  |  | $\begin{array}{lll} 6^{2}=36 & \text { so } & \sqrt{36}=6 \\ 9^{2}=81 & \text { so } & \sqrt{81}=9 \\ \hline \end{array}$ |
| A cube number | A number multiplied by itself twice (The cube root is the inverse). |  |  | $4^{3}=4 \times 4 \times 4=64$ (NOT 12) $. . . . . .2^{3}=8($ NOT 6$)$ |
| BODMAS (order of operations) | Brackets first, then powers. Multiplication or division THEN finally any addition or subtraction left to do. |  |  | $3+4 \times 2=11$ (do the multiplication first) <br> Another one $3+(4+1)^{2}$ <br> Brackets first $(5)^{2}=25$ and <br> then add $3=28$ |
| Integer | Whole number |  |  | $1,4 \& 2$ are integers $1 / 2$ is not |
| Reciprocal | The reciprocal is 1 /the number |  |  | The reciprocal of 5 is $1 / 5$ |
| Rounding to 1 DP | If the number after the decimal place is 5 or more, round up. If 4 or less keep the value the same. |  |  | $2.43=2.4$ (3 is less than 5) $5.67=5.7$ ( 7 is more than 5) $1.09=1.1$ ( 9 is more than 5) |
| Rounding to 1 SF | When reading a number from left to right the $1^{\text {st }}$ value that is not 0 is the $1^{\text {st }}$ significant figure. Round like decimals. |  |  | $\begin{aligned} & 243 \text { to } 1 \mathrm{SF}=200 \\ & 5.6 \text { to } 1 \mathrm{SF}=6 \\ & 47 \text { to } 1 \mathrm{SF}=50 \end{aligned}$ |
| Multiplying and dividing negative numbers | If the signs are the same the answer is positive, if they are different the answer is negative. |  |  | $\begin{aligned} & -2 \times 4=-8 \\ & -3 \times-5=15 \\ & 3 \div-3=-1 \\ & -16 \div-4=4 \end{aligned}$ |
| Adding and subtracting negative numbers | If the signs between the numbers are the same then add, if not subtract. |  |  | $\begin{aligned} & 2-4=-2 \\ & 3--5=8 \\ & -2+-5=-7 \\ & -4--5=1 \\ & \hline \end{aligned}$ |

